PHY 117 HS2023

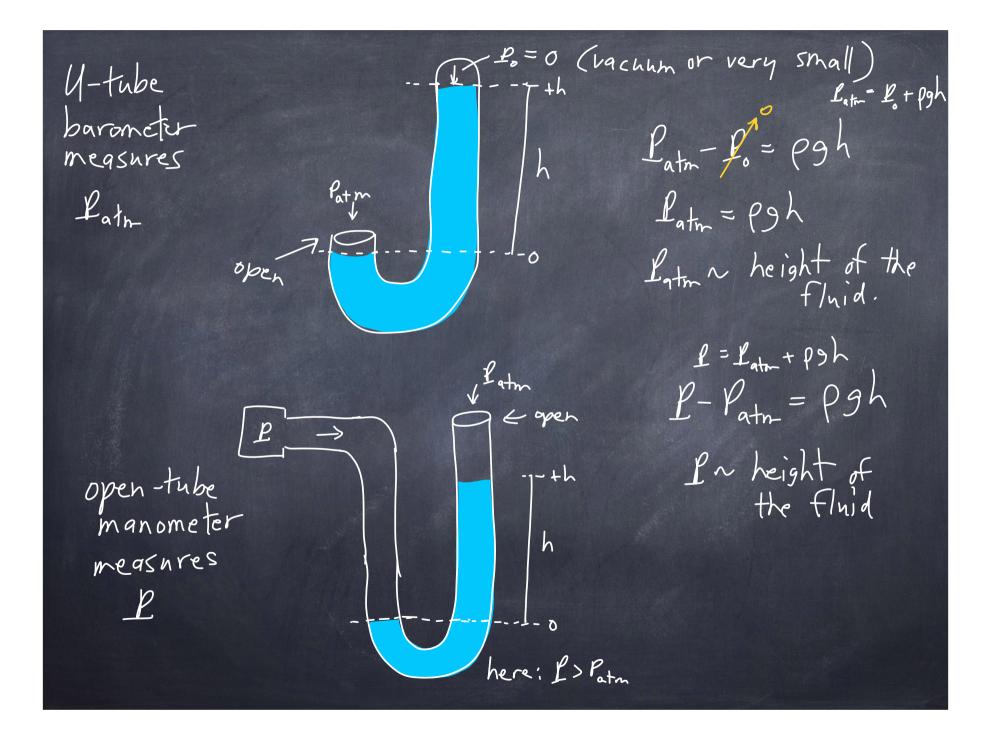
Week 5, Lecture 1 Oct. 17th, 2023 Prof. Ben Kilminster

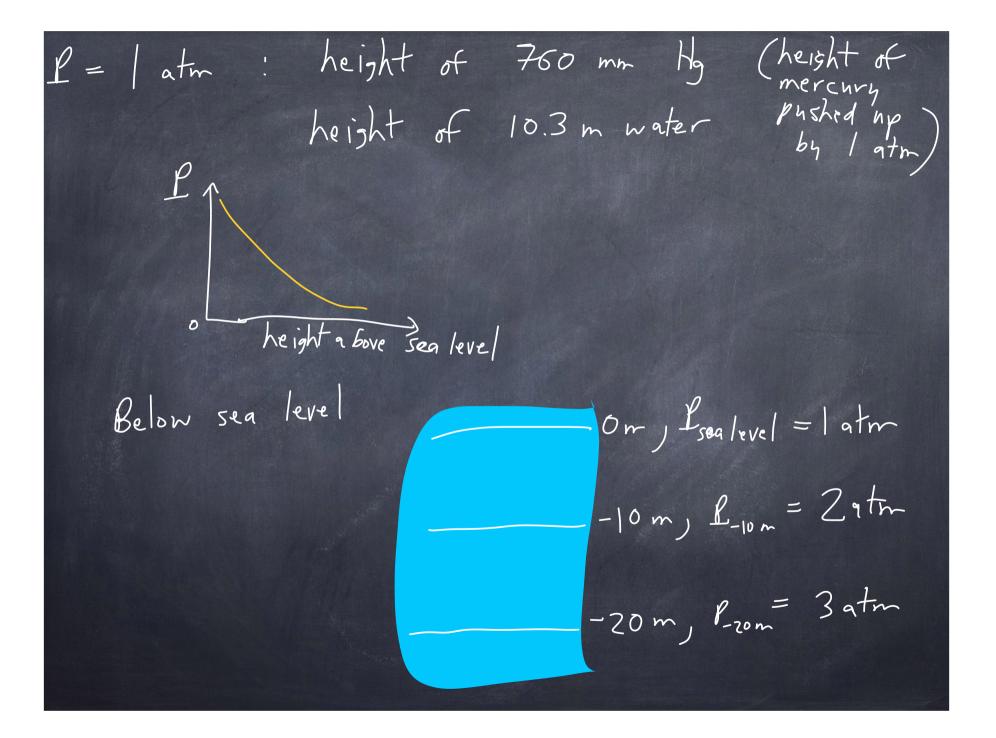
what is the pressure in a fluid? open
to firm the cylinder, closed at bottom, the type
Area volume =
$$V = A \cdot h$$

The mass of the fluid is $M = PV$
The meight of the fluid: density volume
 $F_N = F_S = Mg = PAhg$
The atmosphere puscles down with $F_{atm} = P \cdot A$
There is normal force pusching hyp. F_N .
We can balance the forces: $F_N = F_S + f_{atm}$
 $P \cdot A = PAhg + P \cdot A$
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So pressure is greater as we get deeper. But pressure is the same at all points with the same depth, pointing in all directions. $\Delta P = Pgh$ fh, IhPascal's principle: pressure applied to an enclosed fluid is transmitted to every point in the fluid and the walls of the container, undiminished. J same value.

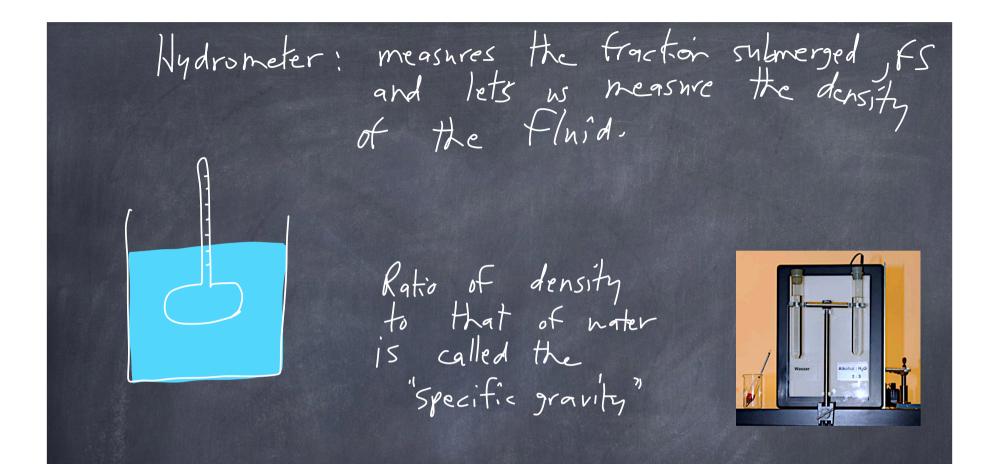
This is used in a hydraulic lift.
A
$$f_{i}$$
 f_{i} A_{2}
The Gree provides a pressure. We put a force f_{i}
on the small piston, and we get a different force
on the large piston.
 $f_{i} = \frac{F_{i}}{A_{i}} = \frac{F_{2}}{A_{2}}$ we can lift a heavy weight
 $L = \frac{F_{i}}{A_{i}} = \frac{F_{2}}{A_{2}}$ with a light force.
Let's say we want to lift a car with mass 1500kg
 $F_{i} = 0.1m$ and $F_{2} = 1m$
What force do we need to lift the car?
 $f_{i} = \frac{A_{i}}{A_{2}} \cdot f_{2} = \frac{M(0.1m^{2})}{M(1m)^{2}} (1500 \log)(0m) = 150N$
 $M = 1500 kg mass$

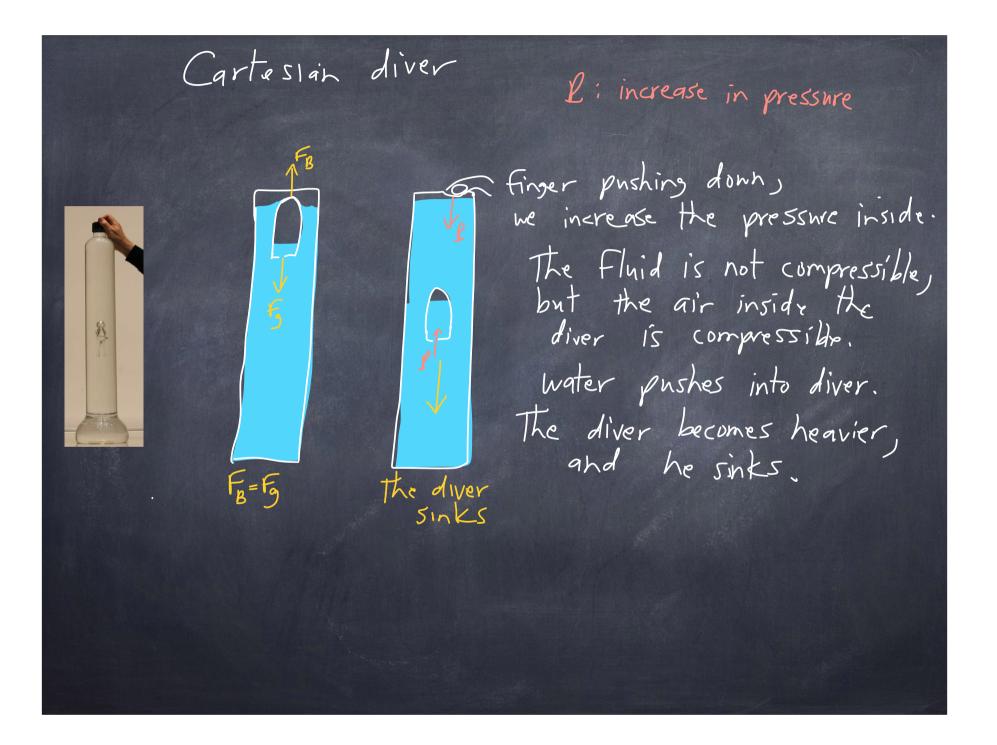


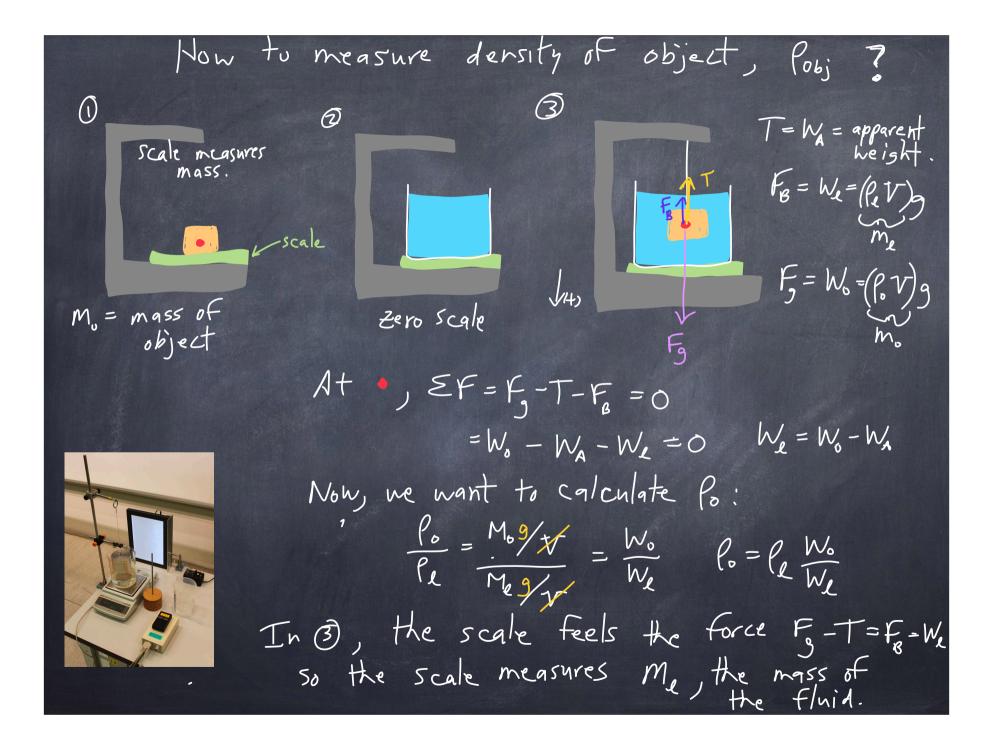


Archimedes principle: Body submerged in a flyid (partially or completely) is forced up by a buoyant force equal to the weight of the Fluid that is displaced. pressave of Fluid: Force due to the pressure difference $L = \frac{F}{A} \Rightarrow F = L \cdot A$ $F_{I} = \begin{pmatrix} 1 \\ 1 \\ 1 \end{pmatrix} A^{I} \begin{pmatrix} 1 \\ 2 \\ - \\ 1 \end{pmatrix} A = \begin{pmatrix} 1 \\ 2 \\ 1 \end{pmatrix} A$ F_-F, = fegh A) = feg Ve V: is the volume of the $L_2 \rightarrow L_1$ $L_3 = L_1 + Pgh$ F2 F1 If an object is fully submored. F2>F1 If an object is fully submored then the volume of the object is the same as the Ve $L_z - L_z = C_z + D$ le : density of fluid. The Fluid pressure difference causes a force upward called the broyant force F-F=F=P,9V,

buoyant force and the force of gravity; consider the $P = \frac{m}{V} \neq m = pV$ $F_{B} = P_{E} g V_{E}$ Fa Fg = mg = pgV M; mass of object M = PoV here V=V==V because fully subpressed. $M_0 = P_0 V_1$ (+) $\Xi F = F_g - F_g = (f_o - f_d)_g V$ IF Posle, then EF points down. It sinks. IF Po<Pe, then EF points up. 17 Floats. GAME; WILL, IT. FLOAT ?!







1) Case of a sinking object
$$F_3 > F_8$$

 $M_8 = 16639$
we measure $\frac{F_8}{3} = M_8 = 6129$
So $P_0 = P_{water} \cdot \frac{M_0}{M_8} = \frac{1.009}{Ch^3} \left(\frac{16639}{6129}\right) = 2.729/cm^3$
F3
F3
F4F_8 = F3
We measure $F_8 = M_8 = 6189$
We measure $F_8 = M_8 = 6189$
But the scale still measures the mass of the Fluid,
 $F_8/3$
 $P_0 = P_8 \frac{M_0}{M_8} = \frac{19}{Ch^3} \left(\frac{4779}{6189}\right) = 0.7779/cm^3$

The buoyant force corres from
the centripetal force of the
fluid:

$$F_{B} = m_{e} v^{2} = m_{e} w^{2} r^{-}(-\hat{r})$$

 F_{B} is bigger at large r
 $F_{F} = F_{e} - F_{g} = m_{w} w^{2} - m_{w} w^{2} = V_{e} w^{2} - V_{e} w^{$

why did I call it a pseudoforce? The actual force is the centripetal force, which causes the object to move in a circle because it is being accelerated towards the center.

But because we are viewing the object in its reference Frame (ignoring that it is spinning), we see this apparent pseudoforce.

