Welcome to the exam for PHY117 Physics for life science

- Deposit all prohibited items (including bags, jackets, etc.) at the back or at the sides of the lecture hall.
- Make sure that your mobile phone is switched off or muted.
- Place your Legi (or other ID with picture) on your desk.
- Only open the envelope when you are asked to do so

The following are allowed at your seat:

- A white envelope.
- The provided TI30 calculator
- Writing utensils
- Protractor (Geodreieck), ruler
- Drinks (in bottle), snacks
- Light jackets, handkerchiefs

The following are forbidden at your seat:

- Any means of communication, like e.g. mobile phones
- Any wristwatch (analogue, smart, etc.)
- Any kind of personal calculator, laptop, or other electronic device
- Any additional formula sheets or written notes.

Thermodynamics	- Electromagnetism
Ideal gases	Electrostatics
Energy in 3D $K = \frac{\#d.o.f.}{2} N k_B T$	Coulomb force $F_E =$
Equation of state $pV = nRT = Nk_BT$	E-field of a point charge: $\vec{E} = \vec{E}$
Work $W = \int_{V_1}^{V_2} p dV$	Gauss' Law $\oint_S \vec{E}$
Heat capacity (constant p) $C_p = C_v + nR$	Electrical Potential difference ΔV_{AB}
Ratio of constants $\gamma = \frac{C_p}{C_v}$	Potential energy & electric potential $\Delta U =$
Adiabatic expansion $Q = 0$ and $pV^{\gamma} = \text{constant}$ and $TV^{\gamma-1} = \text{constant}$	E-field in dielectric $E = .$
Work in adiabatic expansion $W = \frac{1}{\gamma - 1} (p_1 V_1 - p_2 V_2)$	Dipole $\vec{p} = q$
Real gases	Capacitance
Equation of state $(p + \frac{an^2}{V^2})(V - bn) = nRT$	Capacitance: $C = \overline{I}$
K kinetic energy N number of particle a attractive force	Energy in capacitor $U = \frac{1}{2}$
V volume n particle per mol b correction to volume	Capacitors in series $\frac{1}{C_{eq}} =$
Q heat k_B Boltzmann constant C_v heat capacity (constant V)	Capacitors in parallel $C_{eq} =$
p pressure R gas constant	Plate capacitor $C = \kappa$ E-field in parallel capacitor $E = \frac{1}{2}$
	Electrodynamics $E = \frac{1}{2}$
Heat Temp. change at constant volume $Q = \Delta U = mc\Delta T$	Ohm's law: $V = I$
Phase change $Q = \Delta U = mL_{\Delta}$ $Q = mL_{f}$ and $Q = mL_{v}$	Current $I = \Delta$
Heat flow $I = \frac{\Delta Q}{\Delta T} = \kappa A \frac{\Delta T}{\Delta x}$	$\begin{array}{c} \text{Series circuits} & R_{tot} = \\ R_{tot} = \\ \end{array}$
Thermal resistance $R = \frac{\Delta x}{\kappa^4}$ and $\Delta T = IR$	Parallel circuits $I_{tot} =$
Heat resistance in series $R_{eq} = R_1 + R_2 + \dots$	Electric power: $P = h$
Ther Heat	$R = \mu$
	ho= ho
Heat Town ob an most constant relive	$\Delta I I \qquad m = 1$
Temp. change at constant volum	
	$\vec{F} = q$
First Phase change	$\downarrow Q = mL_f an \left[\begin{smallmatrix} r & = q \\ \vec{F} & = I \end{smallmatrix} \right]$
	$\Lambda \cap $
Cath Heat flow 4	$\Delta Q = \kappa_{A} B^{-1}$
Cam	$\Phi_m = \int \Phi_m $
Perf Thermal resistance	$R = \frac{\Delta x}{\Lambda}$ and $\frac{\oint_C \vec{B}}{\vec{\mu} = 1}$
Heat I IICI IICI I COISUAIICC	$\mu = 1.$ Magnetic moment in B-field $U = -$
Q_C heat cold reservoir T_C temp. cold reservoir U internal energy	-
Q_H heat hot reservoir T_H temp. hot reservoir κ thermal conductivity	Faraday's law $\mathcal{E} = \oint$