PHY127

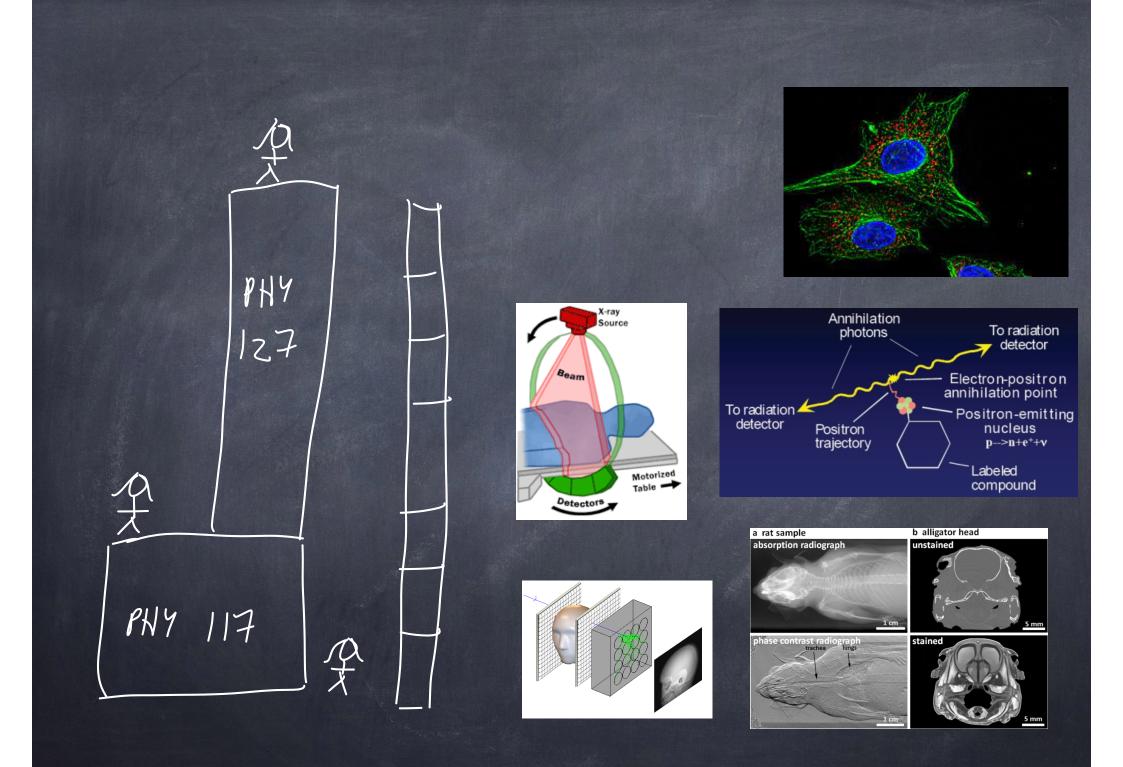
Prof. Ben Kilminster Lecture I Feb. 23rd, 2024

we will cover modern physics in a way that targets modern techniques in medical/ biological/chemical research.

 \Longrightarrow

physics atomic physics nuclear physics particle physics anti-matter radiation relativity quantum physics

bio-med +-rays Formography +-ray computed CT scans PET scans NMR, MRI medical dignostics treatment Imaging



PHY 127

FS 2023

Physics II for Biomed (Modern Physics) Lecture : Fridays 8:00-10:00, Y15-G20

Professor Ben Kilminster (Email <u>ben.kilminster@physik.uzh.ch)</u>

Prof. K's office hours : 36-J-50 Fridays 11:45 – 13:00 (or by appointment) Class page: <u>https://www.physik.uzh.ch/de/lehre/PHY127/FS2024.html</u> (user: physik-phy127, pass: maxwell5%)

Teachers assistants :

Frau Ruth Bründler (<u>ruth.bruendler@physik.uzh.ch</u>) (English/German speaking) (In charge of exercises & sessions)

Fanqiang Meng (fanqiang.meng@physik.uzh.ch) (English/Chinese speaking) In-class TA

Exercise session groups :

Group	Tuesday (Room)		Wednesday (Room)	
	13:00-15:45		13:00-15:45	
1	Haojie Geng	23-G-04	James O'Leary	23-G-04
2	Elias Carl	21-F-70	Roger Brunner	21-F-70
3	Guillem Cucurull Llovera	22-F-62	Philipp Maier	22-F-62
4	Loris Keller	22-F-68	Alessio Tassone	22-F-68
5	Yuliia Melnychuk	17-M-05	Florian Leitner	36-J-33
6	Jens Oppliger	27-H-35/36	Mariana Rajado	36-K-08

Alessio Tassone	atassone@student.ethz.ch
Elias Carl	elias.carl@protonmail.com
Florian Leitner	florian.leitner@uzh.ch
Guillem Cucurull Lovera	guillem.cucurullllovera@uzh.ch
Haojie Geng	haojie.geng@uzh.ch
James O`Leary	james.oleary@uzh.ch
Jens Oppliger	jens.oppliger@uzh.ch
Loris Keller	loris.keller@uzh.ch
Mariana Rajado Nunes Da Silva	mariana.rajado@physik.uzh.ch
Philipp Maier	philippemanueljan.maier@uzh.ch
Roger Brunner	rogbrunn@student.ethz.ch
Yuliia Melnychuk	yuliia.melnychuk@uzh.ch

Modern physics

References: Kilminster Physics 1 & 2 scripts (available on the course web site) Introductory university physics text book. I use the following : **Tipler** (Very good explanations, main text I follow) Halliday & Resnick Young & Freedman (But these are all very similar. Find any one that explains physics well for you.)

For modern physics, I will point you to other online resources when relevant.

Assessments : Please register on OLAT: <u>https://lms.uzh.ch/</u>This is how we send you assignments Please log in to see if you can access the course. If not, check your UZH email is registered properly.

- 1) Exercise sessions: Tuesdays/Wednesdays, 13:00-16:00, starting Feb. 27th. TAs will explain homework exercises, answer questions, and go through additional exercises if time. TAs will keep an attendance list. Note: You really have to go to the exercise sessions. This is where you learn how to solve problems. In your exams, you will have to solve similar problems. One problem will be almost the same.
- 2) Written exercises: every 2 weeks. These will be assigned on Fridays, explained on the following Tuesday/Wednesday, and solutions will be presented the following week. First homework assigned Feb 24th.

3) Final exam. (date not known yet). UZH exam schedule

- a. Exam style :
 - 1. Similar style to written exercises
 - 2. Will be in German and English
 - 3. Expect question from exercise sessions & relating to experiments shown in lecture
 - 4. Formula sheet will be provided. (No private information allowed.)

4) Grade: 100% final exam

PHY127 FS2024, Physics for Life Sciences 2

Schedule

Lecturer :	→ Prof. Ben Kilminster
Lectures (PHY127.1):	Friday, 08:00 - 09:45
Exercise sessions (PHY127.2):	Tuesday or Wednesday, 13:00 - 15:45 (First : 27th Feb 2024)
Office Hours	Fridays 11:45-13:00 at 36J50 or by email appointment

Lecturer

- Prof. Ben Kilminster
- → Webpage
- Office: Y36 J50
- Phone: +41 44 635 58 02
- Email: → ben.kilminster@physik.uzh.ch

References & texts

References for each lecture will be added below.

A document with german/english translations of common physics quantities, as well as a reminder of the units of such quantities is available here \pm PHY127-FS2024-helper.pdf (PDF, 95 KB)

The formula sheet for completing exercises and for the final exam:

• <u>+</u> PHY127_Formula_Sheet.pdf (PDF, 312 KB) (preliminary Feb. 20th, 2024)

The following can serve as a reference for the basic physics (from PHY 117)

- Ben Kilminster, Introductory Physics 1. 🛓 Kilminster-Intro-Physics-I.pdf (PDF, 5 MB)
- Ben Kilminster, Introductory Physics 2. 🛓 Kilminster-Intro-Physics-II.pdf (PDF, 4 MB)

Texts:

- Paul A. Tipler, Gene Mosca: Physics for scientists and engineers.
- Halliday & Resnick : Fundamentals of Physics.

Additional resources to help with mathematics.

- MHP: <u>U</u> Mathematische Hilfsmittel (PDF, 587 KB) (in german) derivatives, integrals, series expansions, statistics, vector algebra, coordinate transformations, tensors, ...)
- C.B. Lang und N. Pucker: Mathematische Methoden der Physik, Spektrum Verlag, Heidelberg und Berlin.

yer Formelsammlung Mittelschulphysik (PDF, 396 KB) is also useful for usage of basic formulas. ↓

Exercises

Exercises are posted on OLAT every 2 weeks on Friday after lecture.

Exercise sessions in the following week will help you understand the terms and concepts of the exercises. Exercise sessions in the second week after the exercises are assigned will explain the solutions. It is expected that you will complete the exercises before this second exercise session.

There will be **no podcasts** of exercise classes.

Exam schedule

Exam guidelines :

Exams will be similar in style to the exercises. A formula sheet with all needed equations will be provided to you for use throughout the semester, and in the exams. We will provide you with paper and a calculator. The final exam will be printed in english and in german. The following are forbidden in exams :

- Any means of communication (mobile phones, smart watches, etc.)
- Any kind of calculator, laptop, or electronic storage device
- Any additional formula sheets or written notes.

Exam date: 28.06.2024, 10:00 - 12:00

Repeat exam date: 13.09.2024, 14:00 - 16:00

Grades

Your grade is based on the following assessments :

• 100% final examination

Attendance is expected and recorded for exercise sessions. The final examination will be composed of questions similar to those presented in the lectures and the weekly exercises.

Outline of course

The course will cover modern physics topics such as relativity, quantum physics, atomic, nuclear, and particle physics, radiation, particle-wave duality, particles interacting in matter, particle detection. These ideas will be used to explain the basics of modern radiation techniques for diagnostics and treatment, and such instruments as X-rays, CT scanners, PET scanners, NMR, MRI, etc.

Lecture information

Lecture schedule (12 lectures)	Topics	PDF of chalkboard	Additional resources
Week 1 (Feb. 23rd, 2024)	Intro, units, reminder of forces, and force balancing.		See additional resources linked above.

Physics I: Introduction to physics



PROF. BEN KILMINSTER INTRODUCTION TO MECHANICS, WAVES, AND FLU DYNAMICS

6 Laws of Motion & Forces 6.1 Momentum 6.2 Newton's laws of motion 6.2.1 Interlude: Algori ing force problems 6.3 Gravitational force . . . 6.3.1 Force fields . . . Contents 6.4 Normal force Springs & Hooke's law 6.56.5.1 Example 1: Vertic 6.5.2 Example 2: Doub I Mechanics 9 6.6 Tension 6.6.1 Example 1: Fallin 1 Units & Dimensions 11 1.1 Fundamental definition of units 11 ancing over pulle 6.6.3 Example 3: Thi masses 6.6.4 Example 4: Block 6.7 Centripetal force . . . 6.7.1 Example: Mass or 2 Measurement & Uncertainty 15 6.8 Friction 6.8.1 Example: Frictio clined plane . . . 6.8.2 Drag 7 Work & Energy 3 Vectors & Reference Frames 21 7.1 Work 63 7.2 Kinetic energy 64 3.1 Vectors in coordinate systems 21 7.2.1 Example: Lifting a weight . . . 65 7.2.2 Work integral over a path . . . 65 7.3 Conservative & non-conservative forces 67 7.3.1Example 1: Gravity...687.3.2Example 2: $F = y\hat{\mathbf{x}} + x^2\hat{\mathbf{x}}$...68 Potential energy 69 7.4.1 Gravitational potential energy 69 7.43.8 Extra: Vector transformations 26 7.5 Energy conservation 71 4 Motion in One Dimension 27 7.5.1 Example 1: Ramp 7.5.2 Example 2: Pendulum 71 4.1 Uniform motion: constant velocity . . 27 72 7.6 Energy loss due to friction 72 4.2.2 Negative acceleration 29 8 Conservation of Momentum 75 8.1 Elastic & inelastic collisions 76 4.3.1 Torricelli's equation 30 8.1.1 Example 1: Two masses collid-ing elastically in 1D 77 8.1.2 Example 2: Two masses collid-78 ing inelastically in 1D 5 Motion in Two Dimensions 37 8.1.3 Example 3: Walking on ice 8.1.3 Example 3: Waiking on no. 8.1.4 Example 4: Two masses collid 5.1 Parabolic motion 20

0.1	I di diobite motion :
	5.1.1 Example: Shooting a falling
	monkey
5.2	Interlude: Radians & polar coordinates
5.3	Uniform circular motion
5.4	Motion along a general path

			8.4	Inertia	al frames of refere
		_			
		9			Angular Mome
			9.1		e
			9.2 9.3		ar acceleration .
	1		9.3		ional equilibrium
				9.3.1	Example 1: E
				3.5.1	masses on a sees
				9.3.2	Example 2: Mon
				0.0.2	of two masses .
				9.3.3	Example 3: Mor
				0.010	of a ring
				9.3.4	Example 4: Mor
					of a hollow cylin
				9.3.5	Example 5: Mon
					of a solid cylinde
				9.3.6	Example 6: Mor
					of a disk
		_		9.3.7	Example 7: Mon
					of a hollow sphe
		_		9.3.8	Example 8: Mor
UID					of a solid sphere
			0.4	9.3.9	Example 9: Larg
			9.4		c energy of rotati
STATISTICS OF STREET				9.4.1	Example: Larg nected to a susp
				9.4.2	Kinetic energy of
				3.1.2	particles
			9.5	Parall	el axis theorem .
47 			010	9.5.1	Extra: Alternati
				9.5.2	Example 1: Mor
thm to solv-					of two masses (r
is 49	A TRACK			9.5.3	Example 2: Mon
					of a ring (revisit
50			9.6	Rollin	g
51				9.6.1	Example: Rollin
			9.7		ar momentum .
cal spring 53				9.7.1	Conservation of
ole spring 53					mentum
54				9.7.2	Example 1: Neu
ng mass on a		_		9.7.3	Example 2: Part
masses bal-			9.8	Desser	a straight line .
			9.8	Angli	sion
ys 55			9.9 9.10		ity
ree unequal			9.10		Example 1: Lad
				9.10.2	
x & tackle 56					Example 3: Tigh
	-		9.11		ary
n a string 57				~	
		10	Nor	n-Inert	ial Reference
on on an m-			Pse	udo Fo	
					al reference frame:
01			10.2		nertial reference fr
63				10.2.1	Coordinate trans
63					
64	And the second				

4

	CONTENTS
	CONTENTS
s of reference 83	10.2 Deteting reference frames
s of reference 83	10.3 Rotating reference frames 114
ar Momentum 85	10.3.1 Centrifugal force
	10.3.2 Extra: Coordinate transfor-
eration	mation of rotation 114 10.3.3 Extra: Time derivation of a
uilibrium & moment of	vector function
	10.3.4 Pseudo forces in a rotating sys-
ple 1: Balancing two s on a seesaw	tem
s on a seesaw	10.3.5 Coriolis force
masses	10.3.6 Example 1: Throwing a ball
ple 3: Moment of inertia	on rotating disk
ng	10.3.7 Example 2: A ball at rest 120
ple 4: Moment of inertia	10.3.8 Example 3: Centrigufal force
ollow cylinder 91	on Earth
ple 5: Moment of inertia	10.3.9 Example 4: Coriolis force on
blid cylinder	Earth
ple 6: Moment of inertia	
sk	11 Stress & Strain 123
ollow sphere	11.1 Young's modulus
ple 8: Moment of inertia	11.2 Shear modulus
lid sphere 93	
ple 9: Large wheel/disk . 93	
y of rotation 94	II Oscillations and Waves 127
ple: Large wheel con-	
to a suspended mass 95 c energy of a system of	12 Harmonic Oscillations 129
les	12.1 Interlude: Taylor expansion 129
theorem	12.1.1 Example 1: Cubic function 129
Alternative proof 97	12.1.2 Example 2: Sine
ple 1: Moment of inertia	12.1.3 Example 3: Cosine
masses (revisited) 98	12.2 Simple harmonic oscillator
ple 2: Moment of inertia	12.2.1 Initial conditions
ng (revisited)	12.2.2 General solution
ple: Rolling off a ramp . 99	12.2.3 Energy of a harmonic oscillator 134
entum 100	12.2.4 Vertical harmonic oscillator 135
rvation of angular mo-	12.2.5 Double spring
m 101	12.3 Pendulum
ple 1: Neutron star 102	12.3.1 Extra: Exact solution 138
ple 2: Particle moving in	12.3.2 Physical pendulum 139
ight line 102	12.4 Damped harmonic oscillators 139
	12.4.1 Energy loss
Millstone	12.4.2 Quality factor
ple 1: Ladder 106	12.4.3 Underdamping
ple 2: Rectangular block 108	12.4.4 Critical damping and over-
ple 3: Tightrope artist 109	damping
109	12.4.5 Energy (revisited)
	12.5 Driven oscillation & resonance 144
leference Frames &	12.5.1 Real-life examples 145
111 nce frames	12.6 Extra: Phase diagrams
reference frames	12.7 Application of simple harmonic oscil-
inate transformation 113	lator

114		
114		
r-	the second s	
114		
a		
116		
S-		
117		
119		
11		
119		
120		
e		
120		
n		
121		
123	CONTENTS	5
124		
125	13 Waves 149	15.3.2 Any period T
	13.1 Transverse waves	15.3.3 Example 1: Cosine
	13.1.1 Sinusoidal waves 150	15.3.4 Example 2: Square wave 191
127	13.1.2 Speed of a wave on a string 152	15.3.5 Example 3: Square wave with
	13.2 Wave equation	amplitude A and period T 192
129	13.3 Superposition & interference 154	15.3.6 Example 4: Square wave with
129	13.3.1 Phase difference	offset
129	13.3.2 Interference patterns in space . 155 13.3.3 Frequency difference & beats . 157	15.3.7 Example 5: Sawtooth wave 193 15.3.8 Example 6: Triangle wave 193
130	13.4 Reflection & transmission	15.3.9 Extra: Amplitude-phase form . 194
131	13.5 Longitudinal waves	15.3.10 Extra: Complex form 195
131	13.5.1 Sound waves	15.3.11 Example 6: Square wave (re-
133	13.5.2 Speed of sound in fluids 158	visited)
	13.5.3 Speed of sound in solids 160	15.3.12 Application: Spectra of music
134 tor 134	13.5.3 Speed of sound in solids	15.3.12 Application: Spectra of music instruments

13.3.3 Frequency difference & beats .	157 15.3.8 Example 6: Triangle wave
13.4 Reflection & transmission	157 15.3.9 Extra: Amplitude-phase form .
13.5 Longitudinal waves	
13.5.1 Sound waves	
13.5.2 Speed of sound in fluids	158 visited)
13.5.3 Speed of sound in solids	
13.6 Standing waves	
13.6.1 On a string	162 15.4 Fourier transforms
13.6.2 Resonant frequencies	
13.6.3 String instruments	164 15.4.2 Example: Rectangular pulse.
13.6.4 Musical notes	164 15.4.3 Dirac delta function
13.6.5 In a pipe of air	164 15.5 Summary
13.7 Energy transmission in a wave	167
13.7.1 Power of a wave on a string	167
13.7.2 Exciting harmonics	168 III Fluid dynamics
13.7.3 Energy density & intensity	168
13.7.4 Decibel scale	170 16 Hydrostatics & Pressure
13.8 Doppler effect	
13.8.1 Moving source	171 16.2 Microscopic description
13.8.2 Moving observer	172 16.3 Bulk modulus
13.8.3 General formula	172 16.4 Pressure variation with depth
13.8.4 Sonic boom	172 16.4.1 Air pressure variation with al-
	titude and weather
	175 16.4.2 Air pressure variation with
14.1 Basics	175 weather
14.1.1 Euler's formula	
14.1.2 Complex conjugate	176 16.5.1 Manometer
14.1.3 Complex form of goniometric	
functions	
14.1.4 Extra: Angle-sum formula	
14.2 Quadratic equations	178 16.6 Pascal's principle
14.3 Solving second order differential equa-	
tions	
14.3.1 Characteristic equation	
14.3.2 Differential operator	
14.3.3 Simple harmonic oscillator	180 density
14.3.4 Initial conditions & real solu-	191 17 Fluids in Motion
tions	181 17.1 Continuity equation
14.3.5 Extra: Analytic representa-	
tion and complex phase 14.3.6 Extra: Rotation in the com-	182 17.2.1 Torricelli's law
	102 17.2.2 Venturi effect
plex plane	
14.4 Damped harmonic oscillator	183 184 17.3 Current resistance & viscous flow
14.4 Damped harmonic oscillator	17.3 Current resistance & viscous flow 17.4 Laminar & turbulent flow
14.4 Damped harmonic oscillator	184 17.3 Current resistance & viscous flow 184 17.4 Laminar & turbulent flow 185 17.5 Magnus effect

15.2 Interlude: Averaging functions 186

207 titude and weather 16.4.2 Air pressure variation with 207 208 16.5.3 Torricelli's experiment 208 16.5.4 Drinking from a long straw . . 209 Pascal's principle 209 16.7.3 Archimedes' trick: Measuring ids in Motion 215 17.2.1 Torricelli's law 217 18 Surface Tension 223

196

197

198

201

203

204

205

205

15.4.2 Example: Rectangular pulse . . 197

18.1 Surfactants & soap bubbles 224

3

8.1.5 Example 5: Ballistic pendulum 79
 8.2
 Impulse
 80

 8.3
 Center of mass
 81
8.3.1 Example: Two mass in 1D . . . 82



119 12.1 Differential form of Ampère's law & 12.1.1 Interlude: Kelvin-Stokes theo-13 Electromagnetic Waves 125 13.3.3 Light year 129 13.4 Intensity & energy density 129 13.6.2 EMF of an electromagnetic wave 131 14 Optics 14.2 Reflection and refraction of light . . . 134 14.2.1 Total internal reflection 135 14.2.3 Refraction wavelength 136 14.2.4 Dispersion & prisms 137 14.4.1 Polarization by absorption . . . 139 14.4.2 Polarization by reflection . . . 140 14.4.3 Polarization by scattering . . . 141 14.4.4 Circular polarization 141 14.5.1 Interference pattern 142 14.5.2 Double-slit interference pattern 144 14.6.1 Application: Crystallography . 148 II Thermodynamics 14915 Temperature & The Zeroth Law 151 15.1 Thermometers and temperature scales 152 16 Ideal Gas Law 155

CONTENTS

5

al Mechanics	157	20.2.1 Phase diagrams
ipartition theorem	157	
rlude: Random walks	159	21 Thermodynamic Processes 179
rlude: Gaussian distributions	160	21.1 PV diagrams
well-Boltzmann distribution	161	21.2 Relation between heat capacities 180
der Waals equation	162	21.3 Adiabatic expansion
· · · · ·		21.3.1 Adiabatic free expansion & en-
The First Law	165	thalpy
orimeters	166	
t transfer	166	22 Engines 187
aw of thermodynamics	167	22.1 A simple engine
t expansion of solids	168	22.2 Steam engine
.1 Thermal expansion at atomic		22.3 Internal combustion engine 188
level	169	22.4 Alpha-type Stirling engine 189
.2 Strain & Young's Modulus	169	22.5 Beta-type Stirling engine
~		
Radiation	171	23 Entropy & The Second Law 191
k body	171	23.1 Efficiency of engines
leigh-Jeans law	172	23.2 Refrigerators
ık's law	173	23.3 2nd law of thermodynamics for a re-
.1 Quantum mechanical model	174	versible process
		23.3.1 Heat pump
hanges	175	23.4 Entropy, reversibility and disorder 195
herms, critical temperatures & va-		23.4.1 Entropy for a reversible cycle . 196
pressures		23.4.2 Entropy for an ideal gas 196
se changes & latent heat	176	23.5 Entropy and probability

1 of 55

physik.uzh.ch ii Mathematische Hilfsmittel zur Physik I und II

mit ergänzenden Beispielen und Korrekturen, 15. Februar 2013

Physik - Institut Universität Zürich

Iı	nhaltsverzeichnis
1	Funktionen und ihre Ableitungen

	1.1	Funktionen
	1.2	Felder
	1.3	Ableitungen (von Funktionen mit einer Variablen)
	1.4	Ableitungsregeln für elementare Funktionen
	1.5	Funktionen mehrerer Variablen
		1.5.1 partielle Ableitung
		1.5.2 totales Differential von Funktionen mit mehreren Variablen
2	Tay	lor-Reihen und Näherungen

3 Messen und Messfehler

3.1	Systematische und zufällige Messfehler	11
3.2	Wahrscheinlichkeitsverteilung zufälliger Messfehler	11
3.3	Schätzungen der wahren Werte	13
3.4	Fehlerfortpflanzung	14

Formelblatt Physik HSGYM

♥ 6 53%

10

4. April 2015, M. Lieberherr

Viele Gesetze und Informationen auf dieser Seite sollten von der Mittelschule her bekannt sein und angewendet werden können. Folgen Sie den braunen oder blauen Links für weitergehende Auskünfte oder dem Index.

 $P = \frac{W}{\Delta t}$ $1 \text{ u} = 1.661 \cdot 10^{-27} \text{ kg}$ $B = \frac{\mu_0 I}{2\pi r}$ Phys. Rechnen M = m/n $pV = nRT = Nk_BT$ $2\pi r$ $\mu_0 = 4\pi \cdot 10^{-7} \frac{Vs}{Am}$ Eine Grösse umfasst Zahlenwert und Einheit. $\eta = \frac{W_2}{W_1}$ Für gegebene und $R = 8.314 \,\mathrm{J/(mol \cdot K)}$ $B = \frac{\mu_0 NI}{l}$ $1 \,\mathrm{kWh} = 3.6 \,\mathrm{MJ}$ gesuchte Grössen $k_B = 1.381 \cdot 10^{-23} \,\mathrm{J/K}$ $\vec{p} = m\vec{v}$ $\vec{p}_1 + \vec{p}_2 + \dots = const$ werden Platzhalter $V_{mn} = 22.4 \cdot 10^{-3} \,\mathrm{m^3/mol}$ $U_{ind} = -\frac{d\Phi}{dt}$ eingeführt. Eine Schlussformel ist nach $\frac{1}{2}m\upsilon^2 = \frac{3}{2}k_BT$ $\Delta U = Q + W + \dots$ $\vec{F}_{res} = \frac{\Delta \vec{p}}{\Delta t}$ $\Phi = AB_{\perp}$ der gesuchten Grösse $u(t) = \hat{u}\cos(\omega t)$ aufgelöst und enthält nur $pV^{\varkappa} = const$ $\omega = \frac{2\pi}{T} = 2\pi f = \frac{\nu}{r}$ Variable für gegebene $U_{\rm eff} = \frac{\hat{u}}{\sqrt{2}}$ Q = mHGrössen. Das Resultat $a_z = \frac{v^2}{r} = r\omega^2$ hat ebenso viele $\eta = \frac{T_w - T_k}{T_w}$ signifikante Stellen wie Schwingungen/Wellen $F_G = \frac{Gm_1m_2}{r^2}$ die ungenaueste Ausgangsgrösse. Elektrizität $y(t) = \hat{y}\sin(\omega t + \varphi_0)$ $G = 6.674 \cdot 10^{-11} \, \frac{\mathrm{Nm}^2}{\mathrm{kg}^2}$ $T = 2\pi \sqrt{m/D}$ $e = 1.6022 \cdot 10^{-19} \,\mathrm{C}$ Mechanik $M = aF = rF\sin\alpha$ $T = 2\pi \sqrt{l/g}$ $\vec{\upsilon} = \frac{\Delta \vec{s}}{\Delta t}$ $\Sigma Q_i = const$ $a_1F_1 = a_2F_2$ $F_C = \frac{1}{4\pi\varepsilon_0} \cdot \frac{Q_1 Q_2}{r^2}$ $\alpha_r = \alpha_1$ $p = \frac{F_N}{A}$ 1 m/s = 3.6 km/h $n_1 \sin \alpha_1 = n_2 \sin \alpha_2$ du

Lecture schedule (12 lectures)	Topics	PDF of chalkboard	Additional resources
Week 1 (Feb. 23rd, 2024)	Intro, units, reminder of forces, and force balancing.		See additional resources linked above.
Week 2 (Mar. 1st, 2024)	Electromagnetic radiation.		See PHY121 script, chapters 13,18,&19 for more on waves, the power of heat of EM radiation.
Week 3 (Mar. 8th, 2024)	But are photons particles or waves ?		See Thornton & Rex, "Modern Physics", chapter 3, available online.
Week 4 (Mar. 15th, 2024)	Waves, standing waves, probabilities		See Script 1 chapter 12 on harmonic oscillators, and script 2 chapter 12 on waves.
Week 5 (Mar.	Wave-particle duality, wave packets, uncertainty principle, Schroedinger wave		See script sectipon 12.1.2 & 12.1.3 for small-angle
22nd, 2024)	equation		approximation, more on waves in chapter 13. 业 Wave-diffraction (GIF, 592 KB)
			, ⊻ Wave-diffraction-big- aperture (GIF, 276 KB) , ⊻ wave-packet (GIF, 3 MB) , ⊻ group-and-phase-velocity (GIF, 1 MB)
Week 6 (Apr. 12th, 2024)	The quantum nature of electrons in an atom, and emitted light. Standing waves. Particle in a 3D box.		Videos shown on standing waves on a 2D drum:
2			

PHY 127	Physics Terms helper						Prof. Ben Kilminster	
physical quantity (SI base units in blue) (radiation physics units)	Deutsch	Symbol	SI unit	Simplified Formula to help with units	in other SI units	typical units in radiation physics	conversions	
Length	Länge	e	meter = m					
time	Zeit	t	second = s					
velocity	Geschwindigkeit	v	m/s			c=~3E8 m/ s		
acceleration	Beschleunigung	а	m/s²					
mass	Masse	m	kilogram = kg			1eV/c ²	1eV/c² = 1.78E-36 kg	
momentum	Impuls	р	kg*m/s	p=mv				
force	Kraft	F	Newton = N	F = ma	1N = kg*m/s ²			
torque	Drehmoment	τ	N*m	$\tau=rFsin\theta$	kg*m²/s²			
energy, work	Energie, Arbeit	E, W	Joule = J	W = Fx	1J = kg*m²/s²	1eV	1eV = 1.602E-19J	

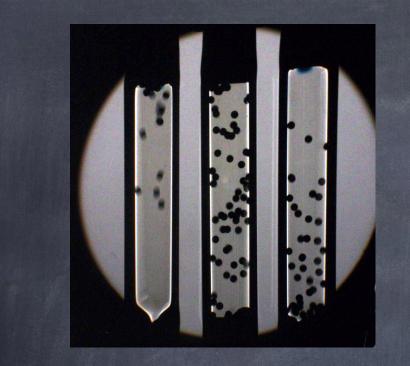
power	Leistung	Р	Watt = W	P = E/t	1W = kg*m²/s		
pressure	Druck	Р	Pascal = Pa	P = F/area	1Pa=1N/m ²		
Electrical charge	Elektrische Ladung	q	Coulomb = C			e = electron charge	1e = 1.602E-19C
Electrical current	Stromstärke	I	Ampere = Amp = A	l = q/t	1A=1C/s		
Electric potential	Elektrische Spannung	V or φ	Volt = V	Power = IV	1V = 1W/A		
Electric field	Elektrisches Feld	Е	N/C = V/m				
Magnetic field	Magnetische Flussdichte	В	Tesla = T	F=BIℓ	1T=1N/(A*m)		
Resistance	Elektrischer Widerstand	R	$Ohms = \Omega$	V = IR	1Ω = 1V/A		
Capacitance	Elektrische Kapazität	С	Farad = F	C=q/V	1F = 1C/V		
Temperature	Temperatur	т	Kelvin = K				
amount of substance	Stoffmenge	N	Mol				
luminous intensity	Lichtstärke	l _v	Candela = cd				
radioactivity	Radioaktivität	A _{Bq}	Becquerel = Bq		1/s		
Absorbed dose	Energiedosis	DT	Gray = Gy		m²/s² = J/kg		
Equivalent dose	Åquivalentdosis	Ητ	Sievert = Sv		m²/s² = J/kg		

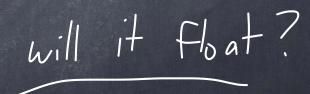
Goal today: introduce physics principles to understand charge quantization, so that we can learn that electrons are particles with a fixed mass and charge



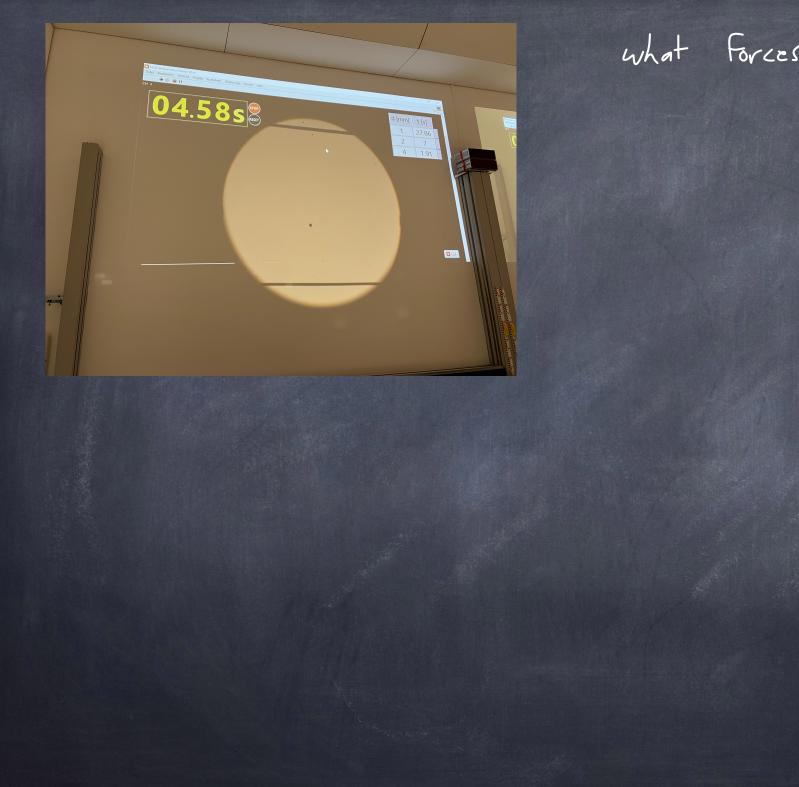
Newton's second law: SF=mā (+) falling ball: EF= -Fg=-mg=ma Fg=mg a = -g $\overline{a} = -\overline{g}$ 9 = 9.8 m/s² ball held 4p by a column of air Experiment: No: velocity (+) $F_{PRAG} = F_p = -bN_b$ ball with b=6TTMr Stokes' Law respect to air Viscosity radius of fluid of the $\Xi F = F_p - F_g = ma = 0$ $F_p = F_g$







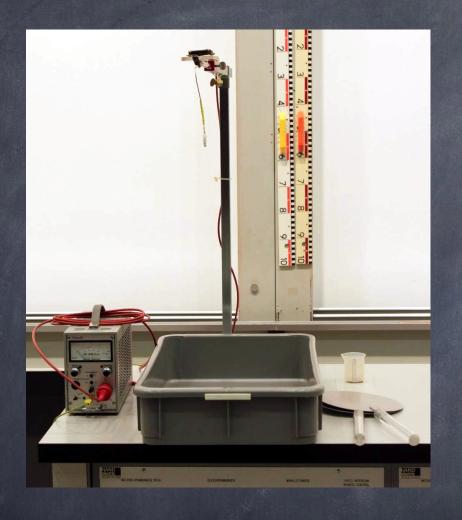
Experiment 2: broyancy (+) $f_{Bhoyancy} = F_B$ when ball is suspended, $f(F) = F_B - F_S = m_B^2 = 0$ $F_S = F_B - F_S = m_B^2 = 0$ $F_B = F_S$ FB: weight of Fluid being displaced by the ball Archimedes' principle: There is a broyant force (upward) on an object that is immersed in a Fluid. density of f/nid, $T = \frac{m_f}{Volume}$ $F_{B} = m_{f} g$ m= density * volume



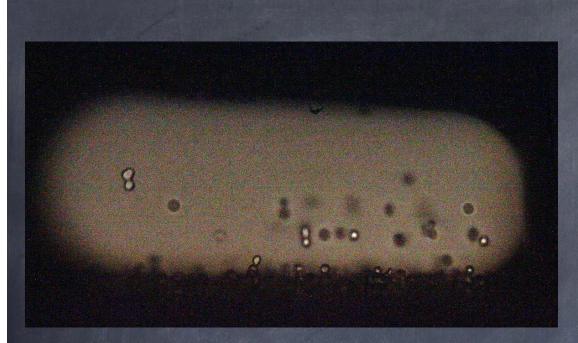
what Forces are at play?

Experiment 3! Buoyancy, drag force, gravity Dell reaches a constant velocity (terminal velocity) When forces balance. Fr Fr VF EF=FB+FB-FB=ma=0 ball: density = $P = \frac{m}{\sqrt{2}} = m = pV$ $F_{g} = mg = \rho Vg = \rho \left(\frac{4}{3} \pi r^{3}\right)g$ $F_{g} = m_{f}g = \sigma V_{g} = \tau \left(\frac{4}{3}\pi r^{3}\right)g$ $f_{hid} \quad density$ $f_{hid} \quad of f_{hid}$ $f_p = +bN = (6\pi nr) N_t$ terminal velocity

Approximate a skier as a ball. Is it faster to be a big skier or a small skier ?



Electric charge

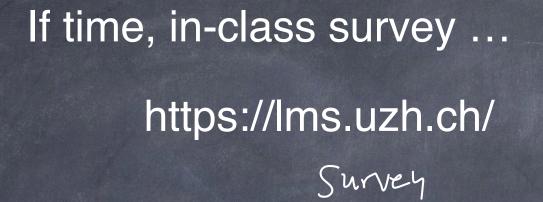


Experiment 4: add electricity (termis) -> bubbles can be charged electrically with electric potential, and there is an electric Force, FE. € E F=gE (E points in the direction a F) charge would g Experiment 5: tiny glass balls in an electric field Filled with oil $|\vec{E}| = \Delta V$ $\vec{F} = q \vec{E}$ \vec{A} $\vec{F} = q \vec{E}$ (-)E SAV Fuoltage] Fe is in (+) direction

(+)

 \wedge

$$\begin{array}{cccc} & & & \\ F_{g} & & \\$$

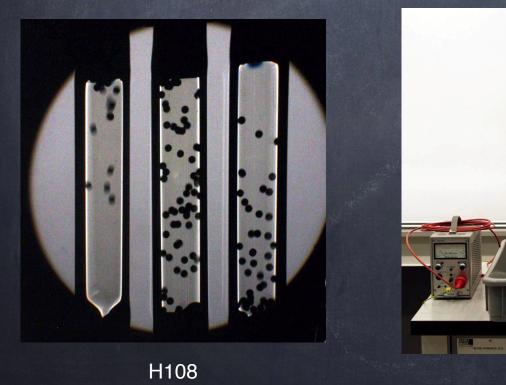




H44



H62



ES38

ES36